



LTLS
FRESHWATER
ECOLOGY

Prediction of the impacts of chemical mixtures and how we will use this within LTLS-FE

SL, 20.07.23



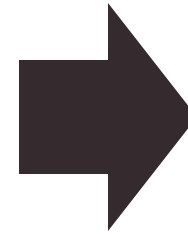
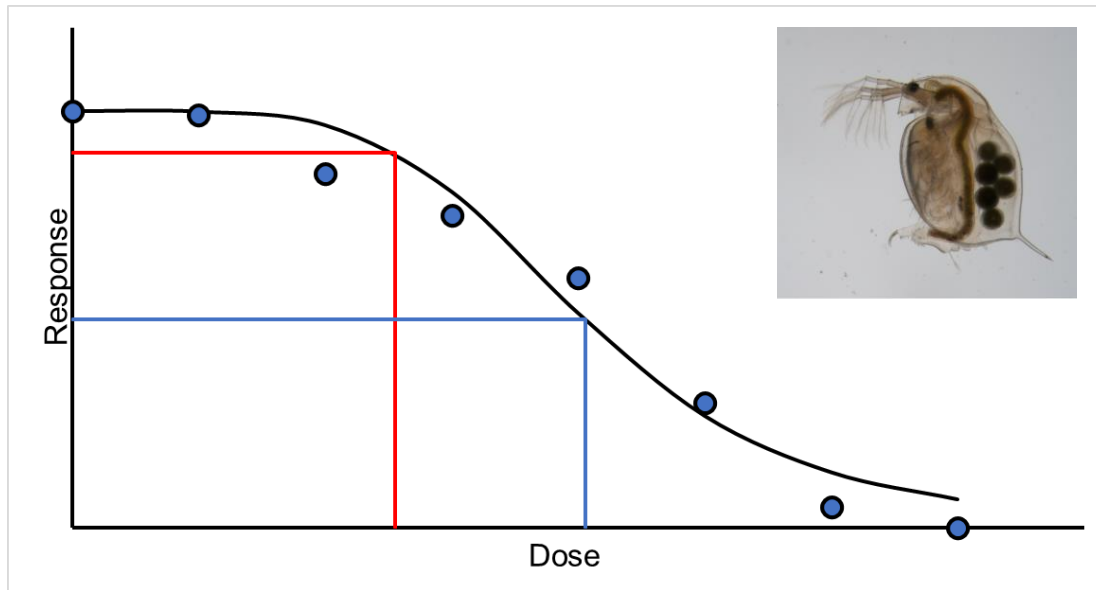
Robert J He

The problem

- Completed LTLS-FE IM will predict concentrations of many chemical variables, each potentially exerting a stress on the ecosystem
- For ecological prediction,
- useful to reduce the number of explanatory variables
 - Reduce the cocktail of chemical concentrations to the smallest possible number of variables
- Can this be done???
- **YES**
- There are established methods/models for doing this
- **IMPORTANT!**
 - This only applies to the toxic chemicals – not the nutrients

Background: chemical risk assessment

- A key goal of chemical RA is to generate 'safe concentrations' of chemicals
 - Below the 'safe concentration', risk is considered negligible
 - 'Safe concentrations' are the basis for Environmental Quality Standards
- The risk assessment is based around data on the toxicity of the chemical to single species in controlled laboratory tests



Toxic endpoint concentration

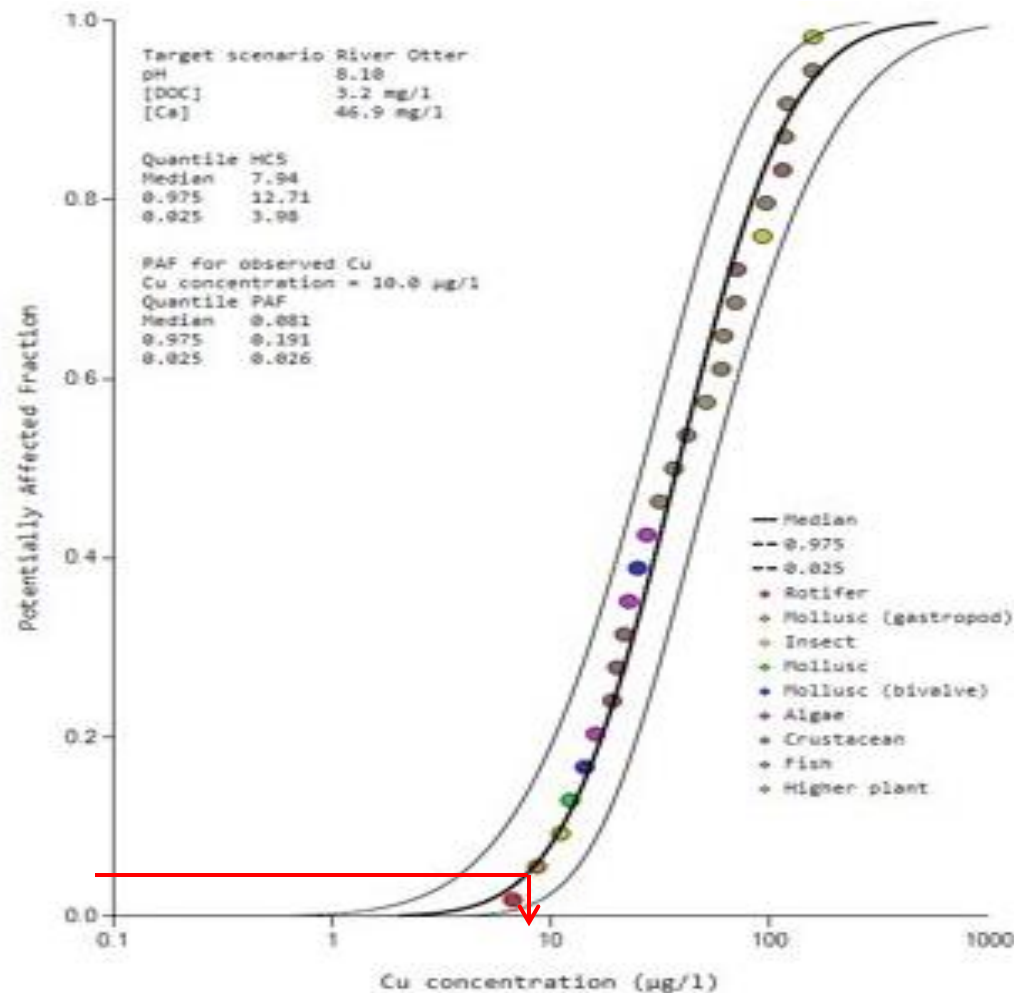
e.g.

10% effect (L(E)C10)

50% effect (L(E)C50)

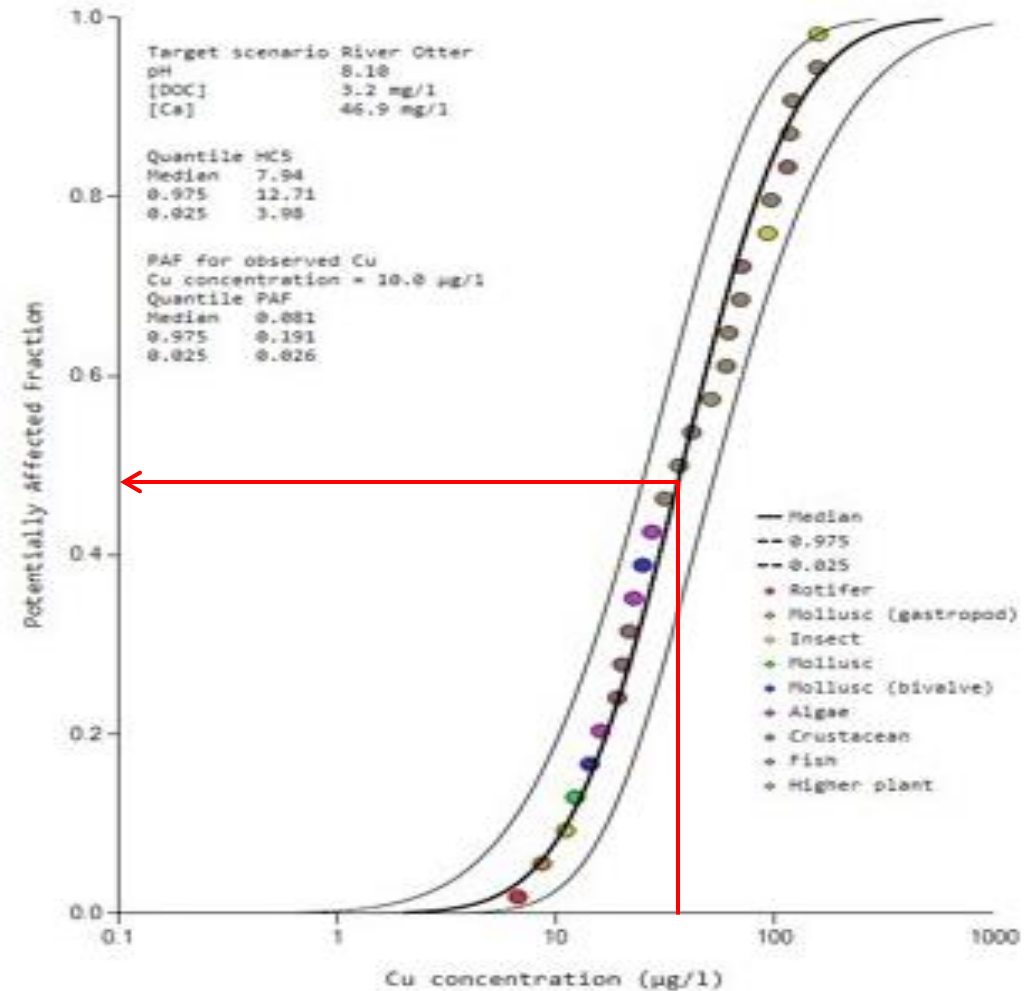
Background: chemical risk assessment (2)

- How to bring the data for single chemical effects on multiple species together?
 - Species sensitivity distribution (SSD)
 - Fit statistical distribution (typically lognormal) to the toxic endpoints
- ‘Safe concentration’ typically taken as the concentration impacting 5% of the species (HC5 – hazardous concentration impacting 5% of species)
- So what...?

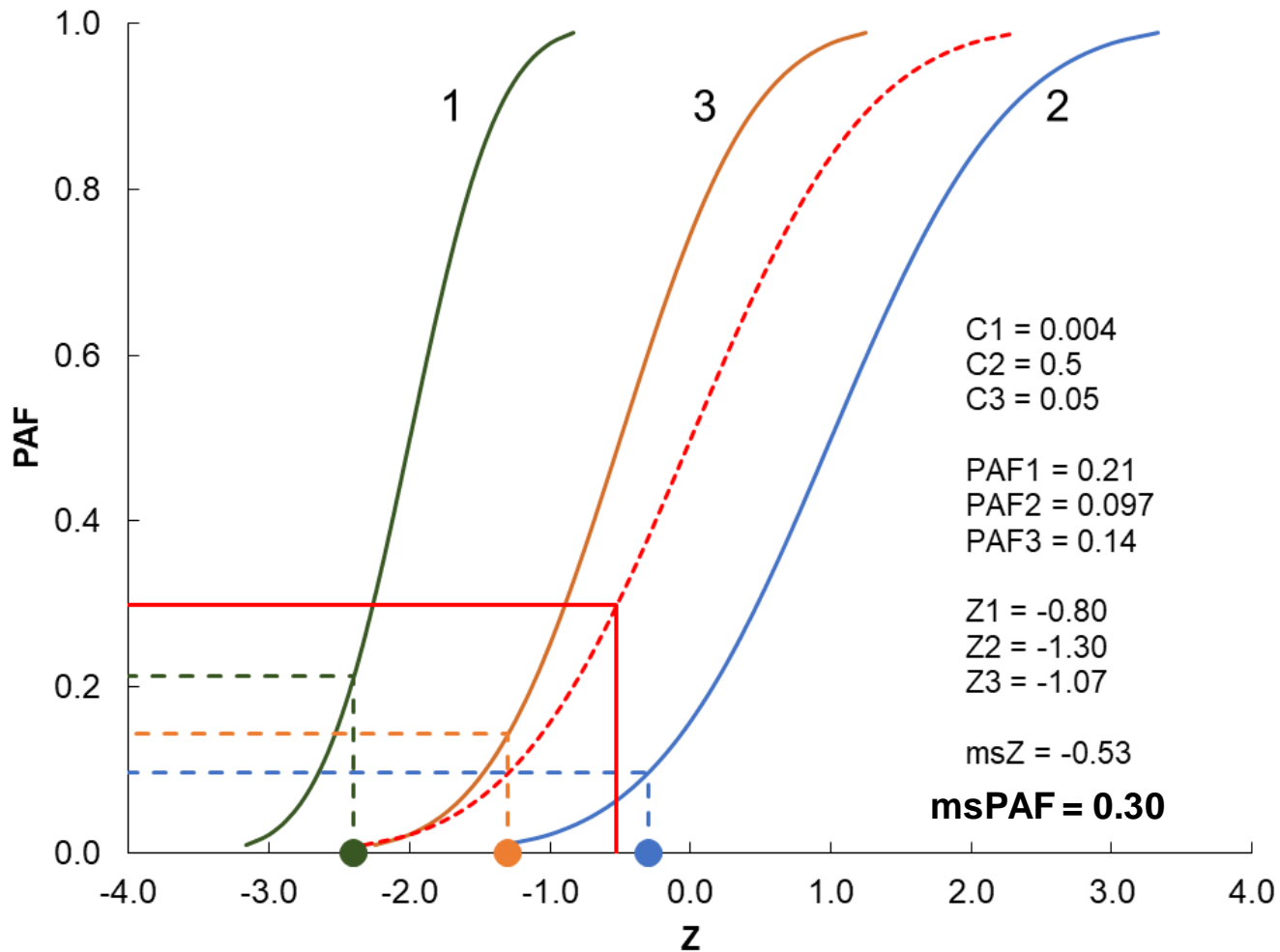


Mixtures

- We want to predict the *combined* impact of multiple chemicals
- There is an approach that allows us to do this, using lognormal SSDs
- Based on the *concentration addition* concept
- “Adds” chemical concentrations, correcting for the differences in their *potency*



Example



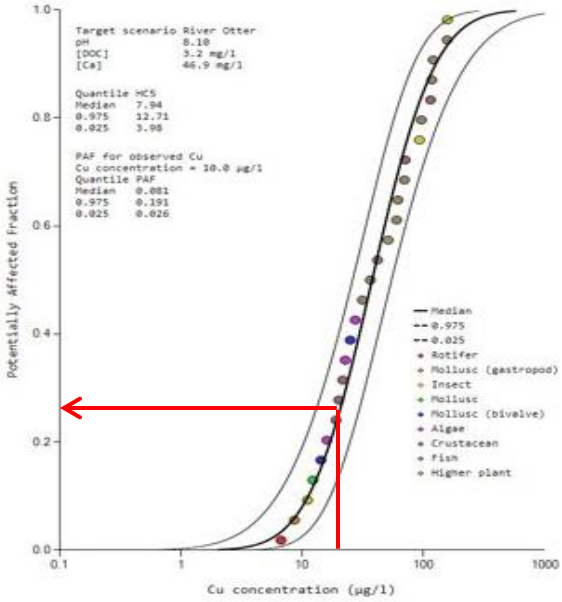
Other information:

- PAFs for the individual chemicals...
 - Hotspots of individual chemical risk
 - Ranking of chemicals by impact

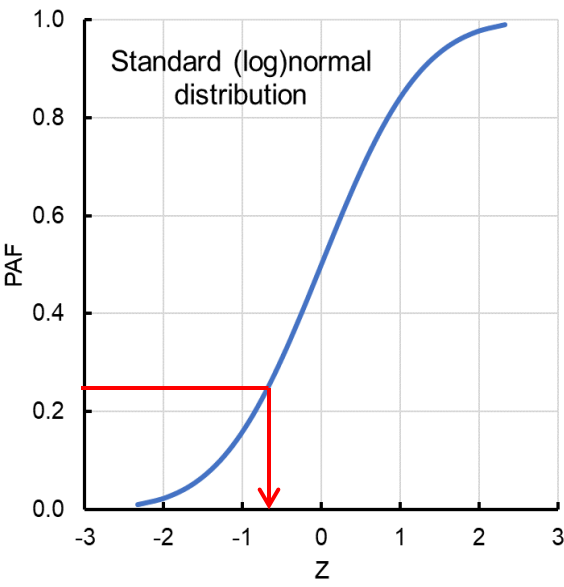
Data source:

- 'Posthuma database'
 - SSD parameters (mean, SD of lognormal distribution)
 - > 10,000 chemicals(!)

Background: chemical risk assessment (2)



Calculate PAFs for all chemicals in the mixture



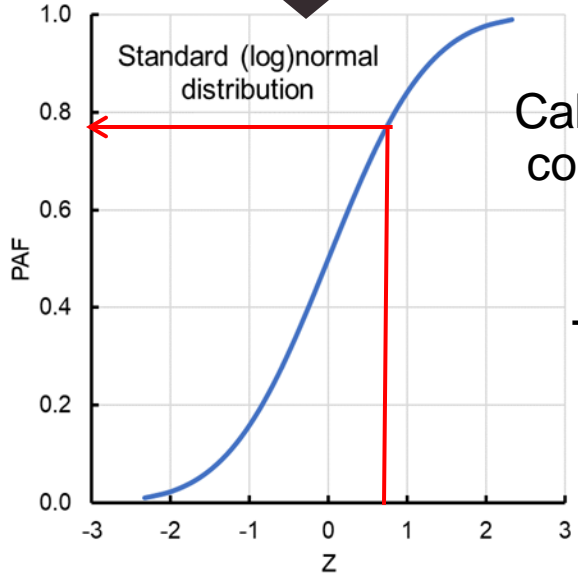
Calculate **Z values** for all chemicals in the mixture

Z is the logged chemical concentration, normalised against hazard



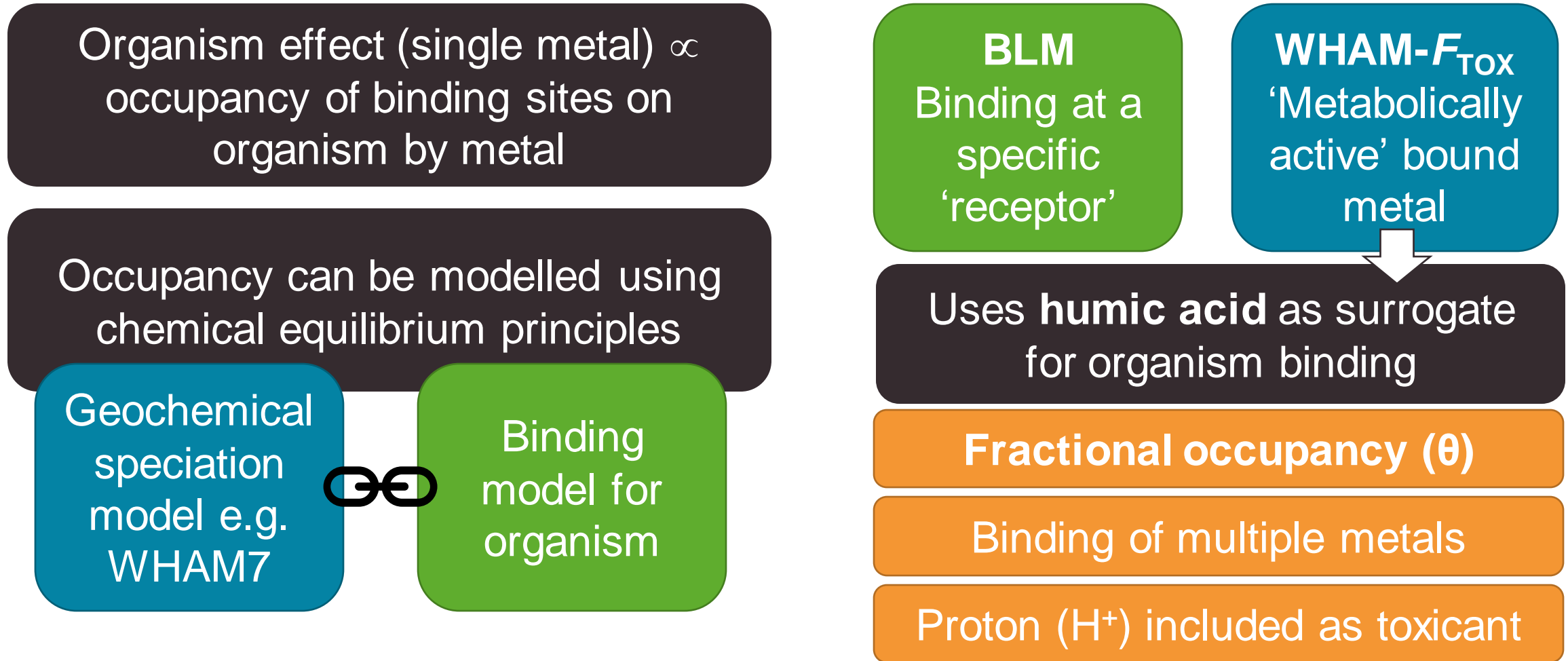
$$msZ = \log_{10} \sum 10^{Z_i}$$

Sum the Z values



Calculate the PAF corresponding to the msZ
- the **msPAF**

Bioavailability modelling and WHAM- F_{Tox}



WHAM- F_{Tox} : predicting impacts

For i 'taxa':

Toxicity function - single species
concentration addition model

$$\theta_H, \theta_M \longrightarrow F_{\text{tox},i} = \theta_H + \sum \alpha_{M,\text{max,mean}} \times \beta_i \times \theta_M$$

Laboratory ecotoxicity
test data

intrinsic metal potency
average across species, infinite time
 $\alpha_{M,\text{max,mean}}$

Fitting to field data

Species-specific sensitivity term
lognormally distributed
 β_i

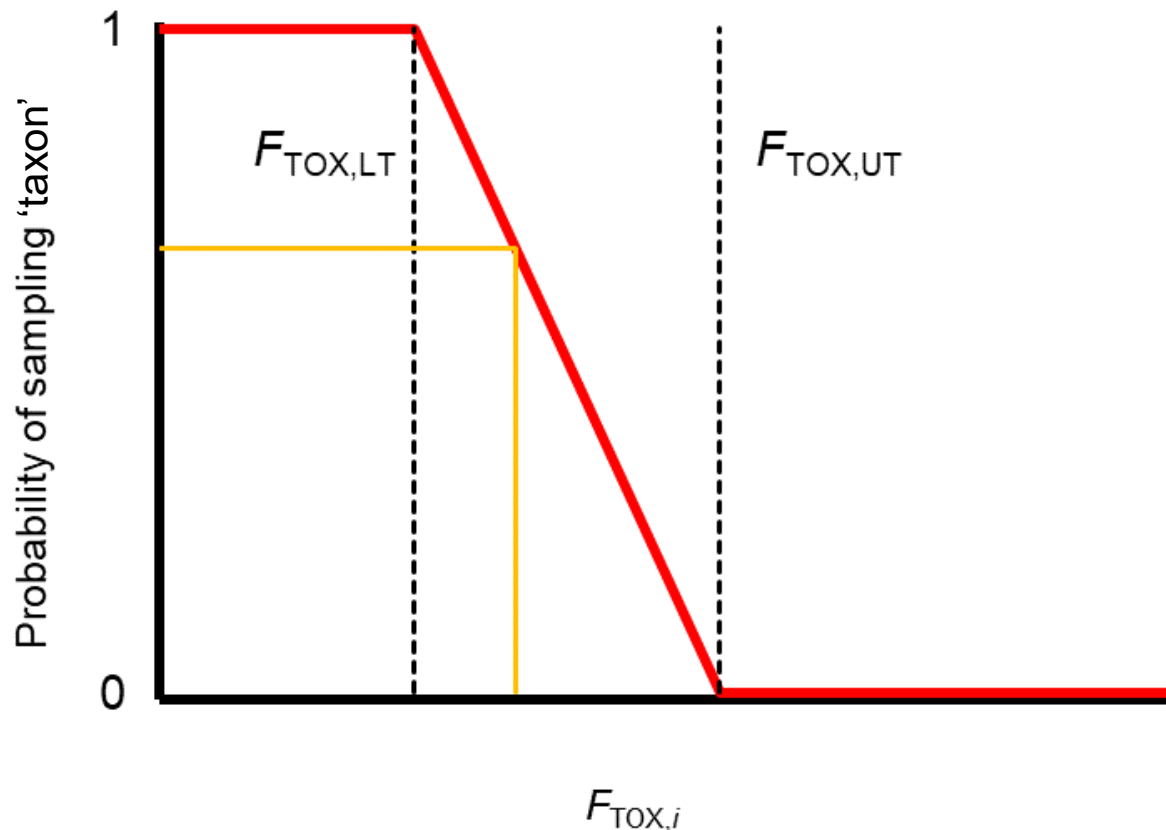
Cation	n	$\alpha_{M,\text{max,mean}}$	SE
H		(1.0)	
Al	7	2.6	0.0
Ni	79	31.1	3.4
Cu	1543	34.6	0.7
Zn	118	17.0	1.3
Cd	152	673	35
Hg	5	621	347
Pb	33	126	24

Tipping et al., Aquat. Toxicol 231, 105708 (2021). <https://doi.org/10.1016/j.aquatox.2020.105708>

Tipping et al., Aquat. Toxicol 212, 128-137 (2019). <https://doi.org/10.1016/j.aquatox.2019.04.022>

The value for H is set to 1.0;
 n = number of data;
SE = standard error.

Relating toxicity to 'taxon' response



Fixed relationship between $F_{TOX,i}$ and effect (the probability of finding the 'taxon', Pr_i)

if $F_{TOX,i} < F_{TOX,LT} \rightarrow Pr_i = 1$ ('taxon' present)

if $F_{TOX,i} > F_{TOX,UT} \rightarrow Pr_i = 0$ ('taxon' absent)

if $F_{TOX,LT} < F_{TOX,i} < F_{TOX,UT} \rightarrow Pr_i = 0 - 1$

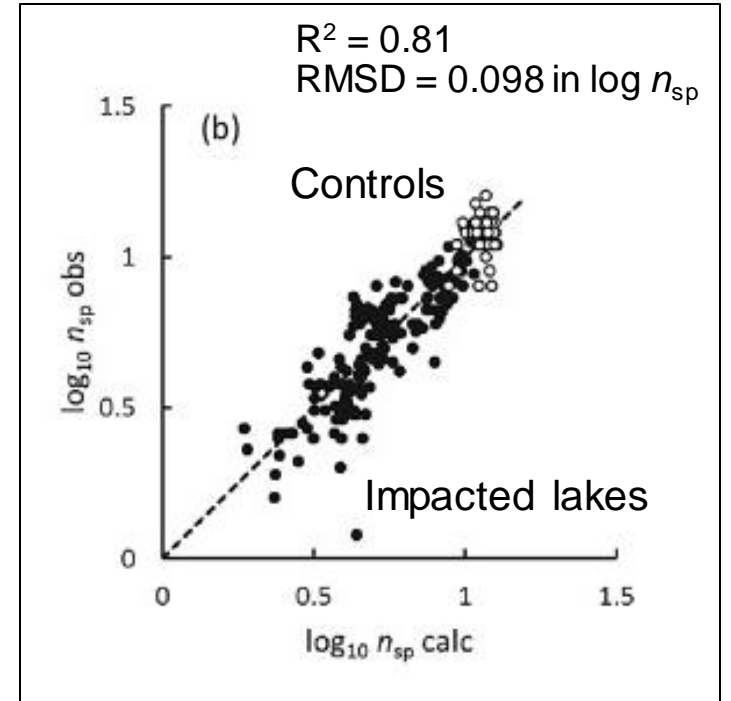
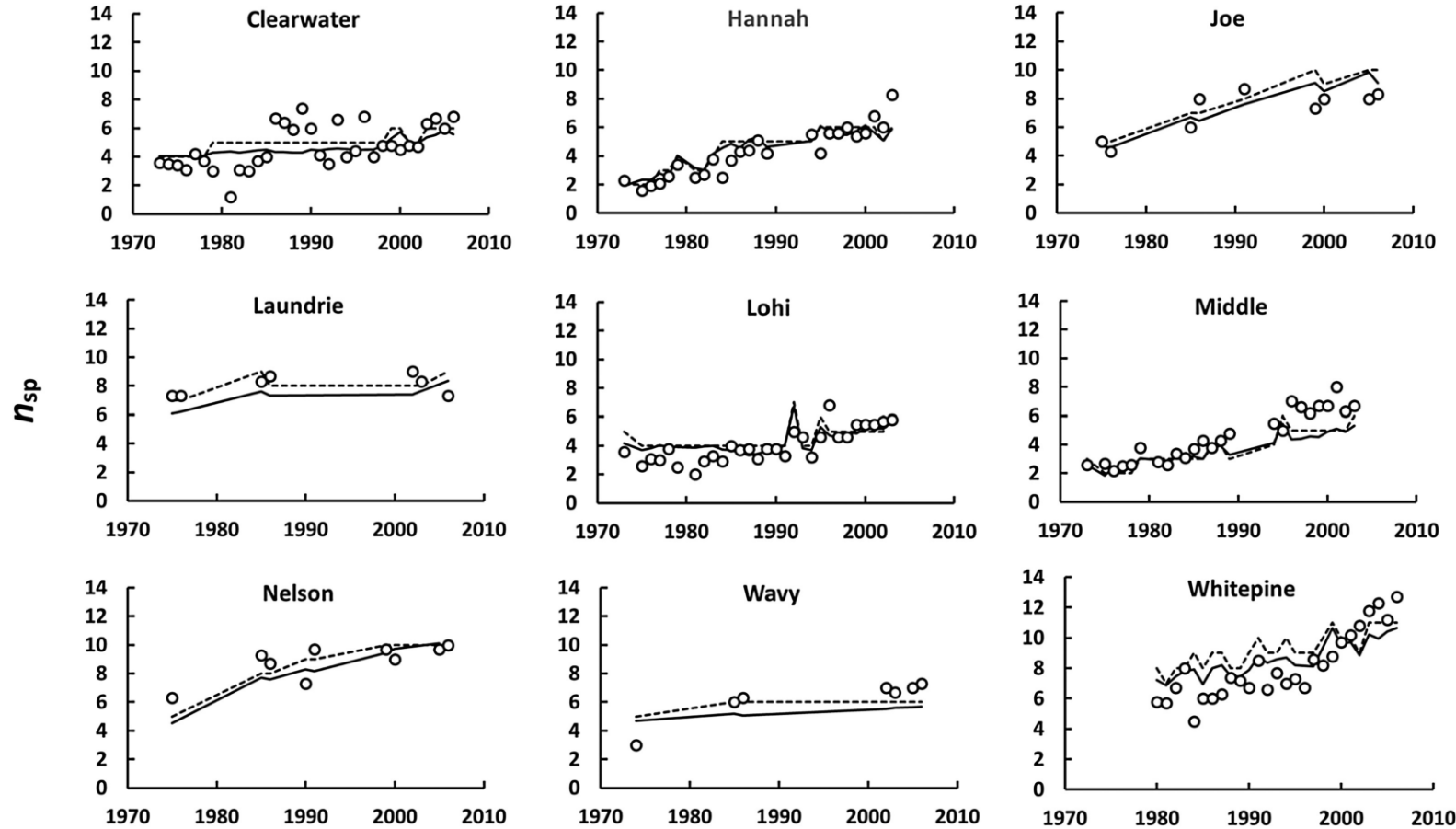
Predicted number of 'taxon', $n_{sp} = \sum Pr_i$

$F_{TOX,LT}$, $F_{TOX,UT}$ fixed, independent of 'taxon', obtained from laboratory data

The 'taxon'

- Theoretical rather than real
 - More like a 'niche' in which a taxon may be present
- If the number of 'taxa' used is large then the proportional response (number of taxa present is independent of the number of 'taxa')
 - Use a large number of taxa to obtain a proportional response (0-1) – corresponds to msPAF

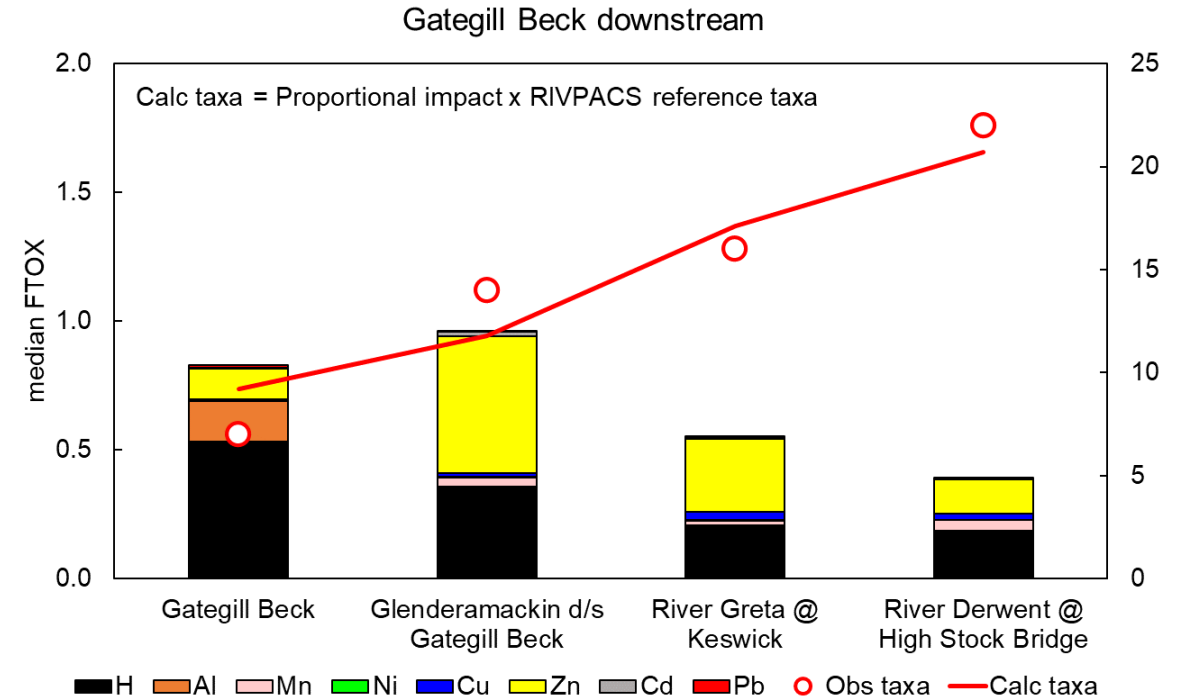
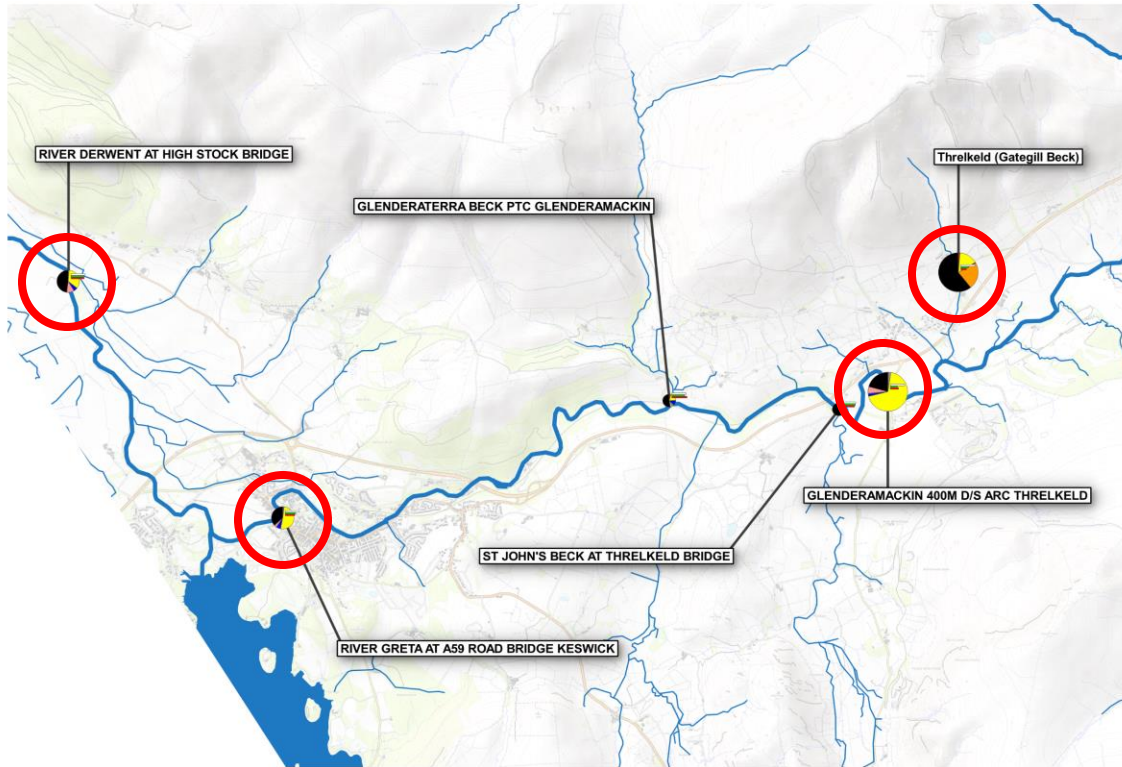
Results



$n_{sp} = 13$

from observations
on 'control' lakes

Results



Summary

- We can derive separate ‘stress metrics’
 - Organic micropollutants
 - Metals & acidity
- Internally consistent measures of combined stress
- At the moment I am *not* considering combining these further...
 - Different derivation methods